

If you are in a car that is accelerating or decelerating, then you are in a non-inertial frame of reference. If you apply Newton's laws they give wrong answers (don't hold).

Mass: a measure of an object's resistance to motion
(measure of the inertia of an object).

large mass \rightarrow large inertia
small mass \rightarrow small inertia

Note A large force is needed to move a large mass or stop it.

Comparison between mass and weight.

Mass (measure of resistance to motion)

- Scalar
- Does NOT change with location

Weight (Gravitational force acting on an object)

- Vector [Force]
- Depends on location.
A 1kg on earth has a different weight on the moon.

On earth's surface $g_E = 9.81 \text{ m/s}^2$ || On moon's surface $g_M = \frac{9.81}{6} \text{ m/s}^2$

Newton's Second Law

$$\begin{matrix} \text{Sigma} \\ \text{(sum)} \end{matrix} \rightarrow \underbrace{\sum \vec{F}}_{\text{net force}} = m\vec{a}$$

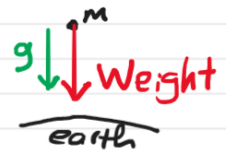
[For a constant mass].

Gives the relation between the net force acting on an object, its mass and its acceleration.

$$\therefore \vec{a} = \frac{1}{m} \Sigma \vec{F}$$

vector equation

Gravitational acc.
g is ALWAYS vertically downwards parallel the net force (Weight) (for free fall)



NOTE: - A net force is needed to cause acceleration.

- \vec{a} is ALWAYS parallel to the net force

- \vec{a} is proportional to $\Sigma \vec{F}$

- \vec{a} is inversely proportional to m .

We can write

$$\Sigma F_x = m a_x \quad \text{(net force along x-axis along x-axis)}$$

$$\Sigma F_y = m a_y \quad \text{(along y-axis)}$$

$$\Sigma F_z = m a_z \quad \text{(along z-axis)}$$

Unit of force: Newton (N). (in mks international system)

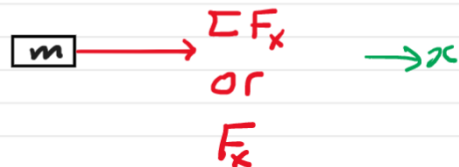
Is N a basic unit? No. N is a derived unit.

$$1 \text{ N} \equiv 1 \text{ kg} \cdot 1 \frac{\text{m}}{\text{s}^2} = 1 \text{ kg} \frac{\text{m}}{\text{s}^2}$$

$$F = ma$$

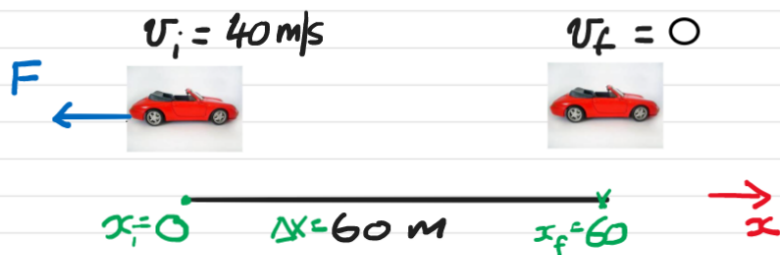
i.e. expressed in terms of meter, kg and second

Example: Find the net force required to give a 3 kg mass an acceleration of $a = 2 \text{ m/s}^2$ in the positive x -axis.



$$\Sigma F_x = (3)(2) = 6 \text{ kg} \frac{\text{m}}{\text{s}^2} \equiv 6 \text{ N.}$$

Example: Find the net force required to stop a 1000 kg car moving at 40 m/s in 60 m.



$$F = ma \quad \downarrow ?$$

Use equations of motion to find the acceleration.

$$v_f^2 - v_i^2 = 2a \Delta x \quad \text{displacement}$$

$$0 - (40)^2 = 2a(60)$$

$$a = - \frac{1600}{120} \approx -13.3 \text{ m/s}^2$$

net force
↓ ΣF_x

$$F = 1000(-13.3)$$

$$= -13300 \text{ N}$$

↑ the force is in the negative x-direction.

$a < 0$
 $v > 0$ } ⇒ deceleration
since the signs of a
and v are
different.

Newton's Third Law

Each action ^{has a reaction} equals to it in magnitude
and opposite to it in direction.

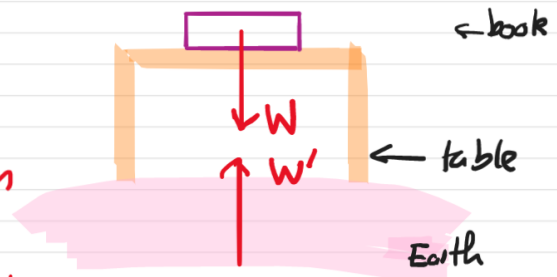
(action reaction forces are equal and opposite)

It is very important to identify the correct
pair of action-reaction forces.

Example A book on a table which
rests on the ground.
Find the pairs of
action reaction forces.

W : force of earth on book. call it action
(weight).

W' : force of book on earth. call it reaction.



$$W' = -W \quad (\text{equal in magnitude and opposite in direction.})$$

NOTE: action (W) acts on the book, while the reaction (W') acts on the earth.

W and W' are action-reaction pair and act on different objects.