

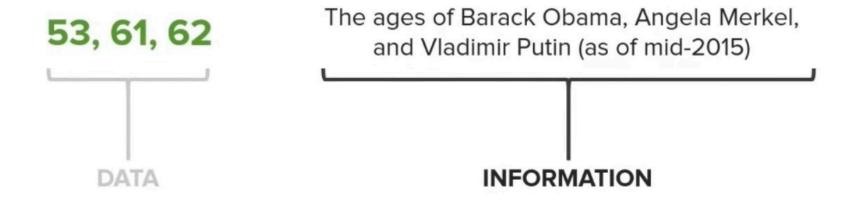
Learning Goals

- You will understand the meaning of p-values, confidence intervals, and the null hypothesis.
- You will know the difference between data and information.
- You will know the differences between different types of variables.





There is a close relationship between the methods of epidemiology and the methods and philosophies of statistics.



What Is a "Variable"?

Math

A value that may change within the scope of a problem or situation (vs. a "constant").

Research

A logical set of attributes (gender, age, etc.).

Computers

A symbolic name given to an unknown quantity.

What Is a "Variable"?

Math x

Research Age

Computers A\$

Relationships Between Variables

In math we write the relationship between 2 variables as a "function".

e.g.
$$F(x) = 210 - x$$

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Maybe this is the relationship between age and maximum attainable heart rate.

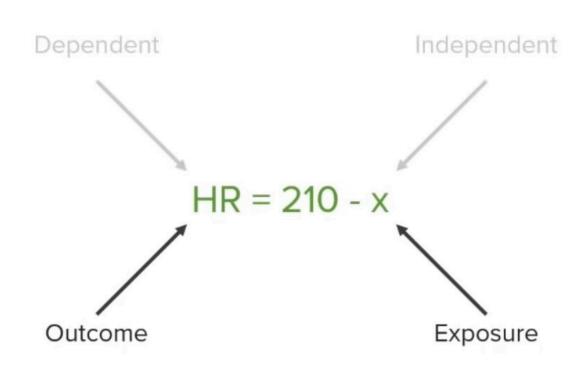


$$F(x) = max heart rate = HR$$

$$x = age$$

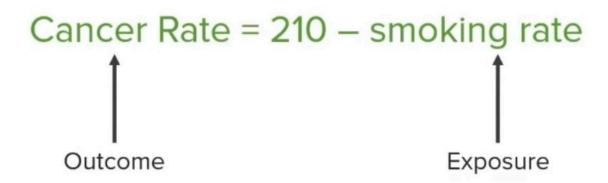
Relationships Between Variables

In Mathematics



In Epidemiology

Relationships Between Variables



In Epidemiology

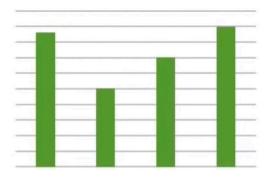
Types of Variables

There Are Two Broad Flavours of Variables



Continuous

Age, height, distance, temperature...



Categorical (also called "Discrete")

Age group, gender, number of siblings, citizenship, race...

The most common type of categorical variable is "dichotomous", meaning that it has two levels or two possible values.

Gender







Employment status





Unemployed

Disease status



Court outcome







Emergency therapy outcome





Deceased

•••

Dichotomous Variables

"Dichotomize" means to convert

a non-dichotomous variable to a dichotomous one.

Age

23, 17, 14, 35, 68, 15

 \rightarrow

Age group

<18 vs. ≥18

14, 15, 17 23, 35, 68

Categorizing Continuous Variables

We can also create categorical variables with more levels.

Age

23, 17, 14, 35, 68, 15

 \Rightarrow

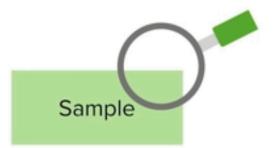
Age group

< 25

26-50

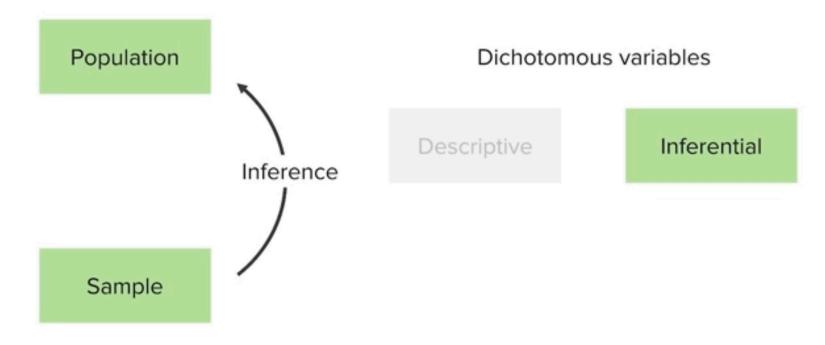
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Population



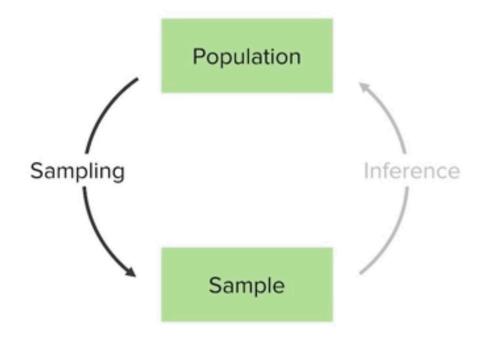
When doing population research, we often need to perform analyses upon a sample of the larger population.





We perform statistical analyses upon a sample, from which we infer characteristics of the larger population, which is also called the "reference population".



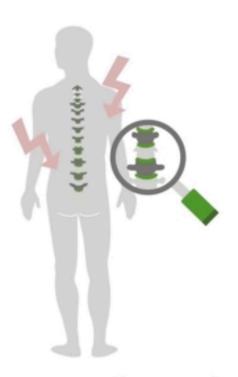


The statistics and epidemiologic approaches we use are affected by the assumptions of the sampling strategies used.

If the sample is not representative of the population, then we have sampling bias, and our inferences will be wrong. Sample

Example





Let's say you want to run a telephone survey in the USA to measure the prevalence rate of perceived back pain.



Sampling Example

To whom do you wish to generalize?		All adults in the USA.	Reference population
What population can you access?	iii	Those with telephones.	Study/Accessible population
How can you access them?	?	Purchase a block of listed numbers from a phone company.	Sampling frame
Who is in your study?	* A *	Those who answer the phone and agree to participate.	Sample

• • •

Sampling

Example

We end up with people with phones with listed numbers who agree to the interviewed representing all adults in the USA.



BIAS



The Null Hypothesis



What is it?

It is a statement that there is no relationship between the variables we are testing.

The Null Hypothesis

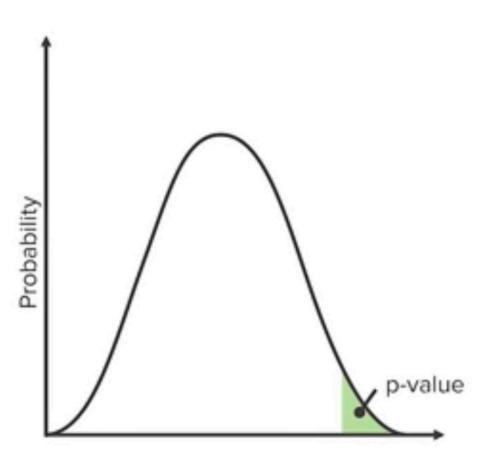


Why do we care?

Statistical tests allow us to either "reject" or "fail to reject" the null hypothesis.

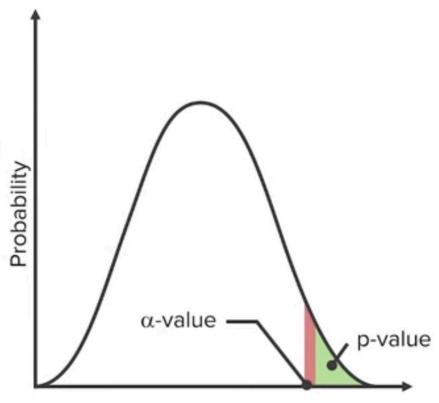
A "p-value" is computed from a statistical test.

It tells us whether we should reject the null hypothesis.

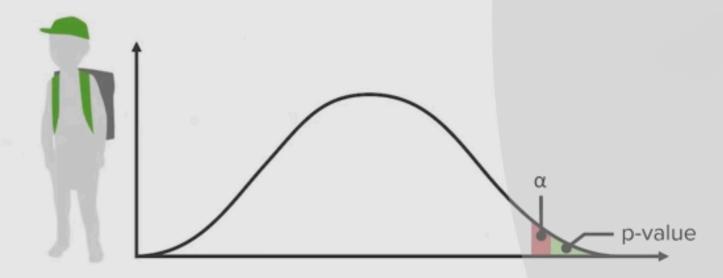


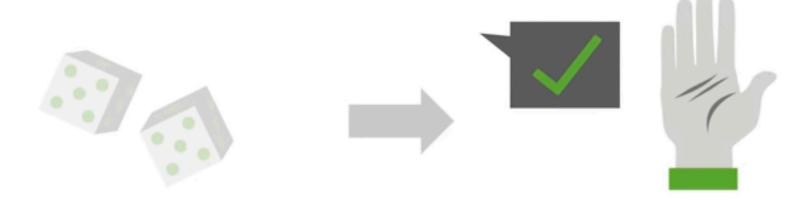
Whether or not we reject the null is determined by whether the p-value is below a certain cut-off, which we call the alpha value.

Traditionally, we tend to set alpha at either 0.05 or 0.01.



For example, if we are testing whether the average heights of two groups of children are different, and perform a t-test to produce a p-value of 0.02, setting α = 0.05, we can conclude that <code>NUII hypothesis</code> is <code>rejected</code> and that the two groups do indeed have different average heights.





A convenient, though inaccurate, interpretation is that the p-value is the probability that your result was due to chance.

More accurately, the p-value is the probability of your test incorrectly rejecting the null, when indeed the null hypothesis is true.

A useful memory aid:

"If the p is low, the null (hypothesis) must go."

Confidence Intervals

A confidence interval is another way to express a statistical result along with its significance level, Without having to use a p-value.



Example: The mean age of university students is 21 years (18, 21.5).

The actual parameter "point estimate".

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Example: The mean age of university students is

21 years (18, 21.5).

The "confidence interval" of the parameter estimate.

Commonly Used Statistical Tests











Lites

For comparing means of two groups, or mean of one group to an external standard.

Chi-square

For determining whether two categorical variables are associated with one another.

ANOVA

For comparing means of three or more groups, and/or across multiple domains.

Correlation

For determining whether two continuous variables are related.

Regression

For establishing the influence of one variable on an outcome variable.



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